

# Verifiable Verification in Cryptographic Protocols

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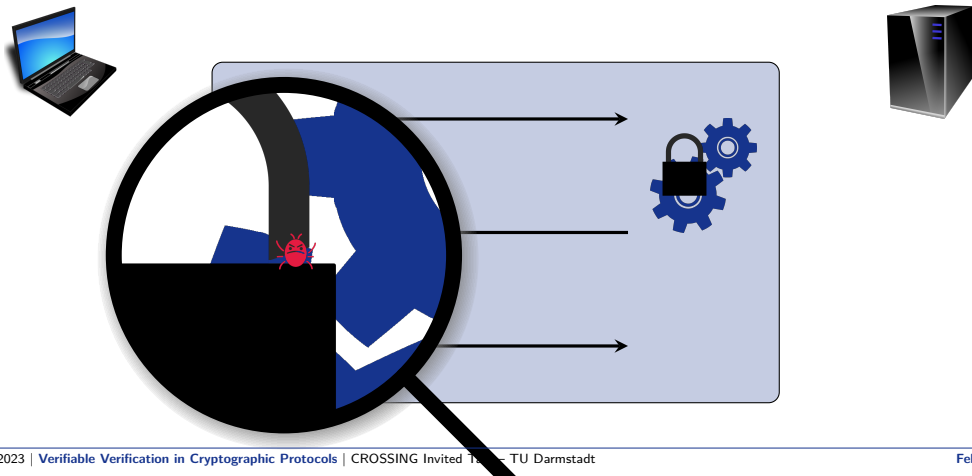


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# When Locks Fail...



# When Crypto Locks Fail. . .



# When Crypto Locks Fail. . .

... in Practice



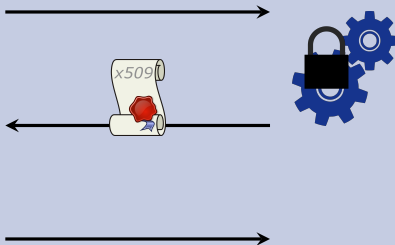
```
static OSStatus
SSLVerifySignedServerKeyExchange(SSLContext *ctx, bool isRsa,
    SSLBuffer signedParams, uint8_t *signature, UInt16 signatureLen)
{
    OSStatus      err;
    ...

    if ((err = SSLHashSHA1.update(&hashCtx, &serverRandom)) != 0)
        goto fail;
    if ((err = SSLHashSHA1.update(&hashCtx, &signedParams)) != 0)
        goto fail;
    if ((err = SSLHashSHA1.final(&hashCtx, &hashOut)) != 0)
        goto fail;
    ...

fail:
    SSLFreeBuffer(&signedHashes);
    SSLFreeBuffer(&hashCtx);
    return err;
}
```



Apple goto fail;



# (Why) Does Cryptography Have to Be So Brittle?

## ► Verification

validating signatures	✗	Apple goto fail;, GnuTLS, curl
validating MACs	?	OpenSSH generic-EtM
validating curve parameters	✗	small subgroup attacks, Bluetooth fixed coordinate



## ► Randomness

bad RNGs	✗	Debian OpenSSL, Android SecureRandom
bad randomness	✗	Sony Playstation 3, bitcore

## ► Encryption

when talking to others	✓	
when talking to yourself	✗	AWS zero-key encryption of TLS session tickets

# Tying Security to Functionality

Our goal: tie **security** to **basic functionality**

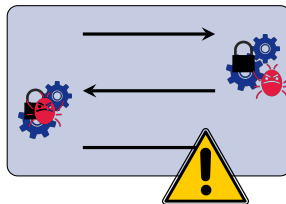
[Heninger @ WAC2, 2019]

- ▶ What if...

- ▶ ... we can make **crypto bugs**
- ▶ ... surface through **functional errors**?

- ▶ We want to catch **accidental** implementation errors

- ▶ ... by making them **detectable in interop tests**
- ▶ (we cannot prevent malicious implementations — and don't intend to)



# In This Talk

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Our goal: tie **security** to **basic functionality**

[Heninger @ WAC2, 2019]

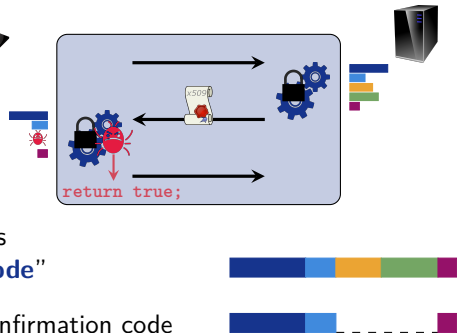
- ▶ introduce **confirmation codes** to surface bugs in verification implementations
- ▶ present intuitive (and provably secure) confirmation codes for **RSA-PSS, HMAC, curve point validation**
- ▶ tie them to basic functionality in **secure connections**
- ▶ discuss **further directions** & system-level efforts for **deploying confirmation codes** in practice

# Introducing Confirmation Codes

- ▶ What if instead of a decision bit, we'd output a **description of essential steps** carried out?



- ▶ verification steps: compute & compare intermediate values
- ▶ collect relevant intermediate values in a “**confirmation code**”
- ▶ bugs (like skipping, misinterpreting, input error) → **change** in confirmation code
- ▶ choose confirmation codes carefully:
  - ▶ meaningful: careful notion of **unpredictability**
  - ▶ low overhead
  - ▶ sender (e.g., signer) also able to compute them





# Introducing Confirmation Codes

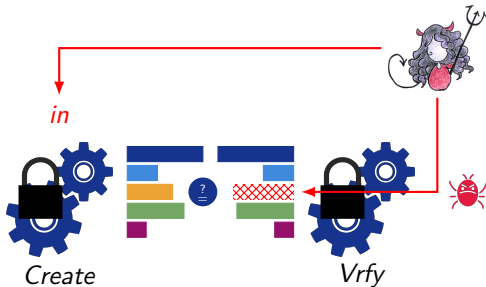
## Defining Verifiable Verification

	<u>KGen</u>	<u>Creation</u>	<u>Verification</u>
<b>Signatures</b> (asymmetric)	$sk \quad pk$	$Sign(sk, m) \rightarrow \sigma$	$Vrfy(pk, m, \sigma) \rightarrow d$
<b>MACs</b> (symmetric)	$sk \quad vk$	$Tag(sk, m) \rightarrow \tau$	$Vrfy(vk, m, \tau) \rightarrow d$
<b>EC point validity</b> (public)	$pp$	sample point $(x, y)$	$d := [x^3 + ax + b = y^2]$
<b>Verification</b>	$ck \quad vk \quad pk$	$Create(ck, pk, in) \rightarrow (obj, tok)$	$Vrfy(vk, pk, obj, tok) \rightarrow d$
<b>Verification w/ confirmation</b>	$ck \quad vk \quad pk$	$Create(ck, pk, in) \rightarrow (obj, tok, \boxed{\vec{c}})$	$Vrfy(vk, pk, obj, tok) \rightarrow (d, \boxed{\vec{c}})$

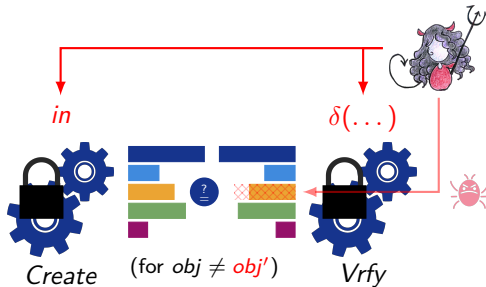
# Introducing Confirmation Codes

## Confirmation-Code Unpredictability

- ▶ we want: **unpredictable** confirmation codes wrt. **accidental verification errors**
- ▶ impossible against a **malicious** implementation of Vrfy → can just compute the right code



- ▶ capture **programming errors**  
(e.g., goto fail; skipping verification steps)



- ▶ capture **input errors** (+ **programming errors**)  
(e.g., reading y-coordinate as 0 + not validating)

(drawings by Giorgia Azzurra Manson)

# Adding Confirmation Codes to Crypto Schemes

- ▶ **Verification**, made **verifiable**

validating signatures	✓	RSA-PSS
validating MACs	✓	HMAC
validating curve parameters	✓	validity and subgroup checks for elliptic curve points

- ▶ for each, **we prove**

- ▶ confirmation code **unpredictability**

- the ingredient to make them noticed in protocols (e.g., failing connections)

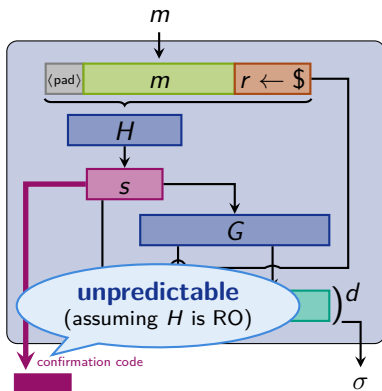
- ▶ confirmation codes don't hurt **regular security**

- easy for asymmetric and public verification, but secret-keyed primitives (HMAC) require care

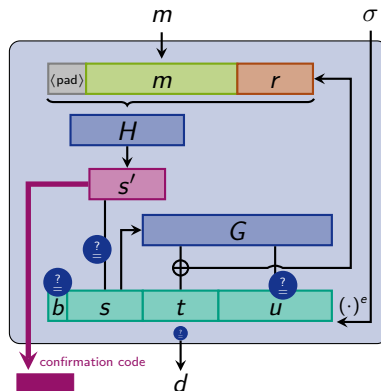
# Adding Confirmation Codes to Crypto Schemes

Example: RSA-PSS Signatures [PKCS #1 v2.1, NIST FIPS 186-5]

$\text{RSA-PSS.Sign}(sk, m)$



$\text{RSA-PSS.Verify}(pk, m, \sigma)$

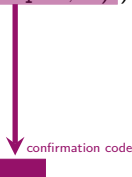


# Adding Confirmation Codes to Crypto Schemes

Example: HMAC Message Authentication Code [RFC 2104, NIST FIPS 198-1]

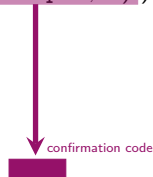
HMAC.Tag( $ck, m$ )

$$\tau := H(ck \oplus \text{opad}, H(ck \oplus \text{ipad}, m))$$



HMAC.Verify( $vk, m, \tau'$ )

$$\tau' \stackrel{?}{=} H(vk \oplus \text{opad}, H(vk \oplus \text{ipad}, m))$$



- ▶ **unpredictable**: assuming compression function  $h$  is a dual-PRF (as for basic HMAC security)
- ▶ **still secure**: [GPR14] PRF proof for HMAC allows that adversary learns inner hash evaluations
- ▶ implicit verification: one can also **not send**  $\tau$  and instead use it as confirmation code

[GPR14] Peter Gaži, Krzysztof Pietrzak, and Michal Rybár. The exact PRF-security of NMAC and HMAC. CRYPTO 2014.

# Adding Confirmation Codes to Crypto Schemes

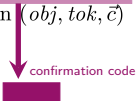
Example: Checking Validity of a Random Point on an Elliptic Curve

KGenC():

```
1 pick curve  $(a, b, P, q, \mathbb{F})$ 
2  $ck \leftarrow vk \leftarrow \perp$ 
3  $pk \leftarrow (a, b, P, q, \mathbb{F})$ 
4 return  $(ck, vk, pk)$ 
```

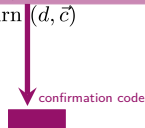
CreateC( $ck, pk, in$ ):

```
5 pick  $r \xleftarrow{\$} \mathbb{Z}_q$ 
6 compute  $(x_r, y_r) \leftarrow rP$  over curve
7  $obj \leftarrow \text{enc}(x_r, y_r)$ 
8  $tok \leftarrow \perp$ 
9  $\vec{c} \leftarrow (y_r^2, y_r^2)$  in  $\mathbb{F}^\infty$ 
10 return  $(obj, tok, \vec{c})$ 
```



VrfyC( $vk, pk, obj, tok$ ):

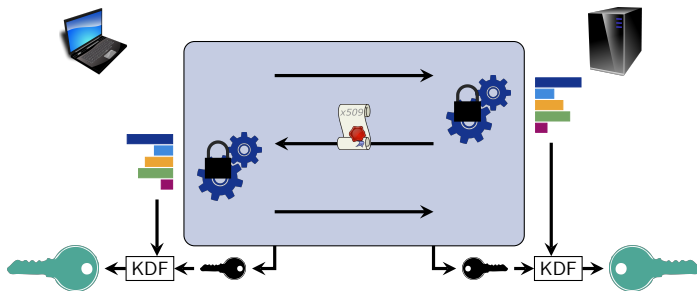
```
11 parse  $(x_r, y_r) \leftarrow \text{dec}(obj)$ 
12 compute  $x_r^3 + ax_r + b$  and  $y_r^2$  over  $\mathbb{F}^\infty$ 
13  $d \leftarrow [x_r^3 + ax_r + b = y_r^2 \text{ over } \mathbb{F}^\infty]$ 
14  $\vec{c} \leftarrow (x_r^3 + ax_r + b, y_r^2)$ 
15 return  $(d, \vec{c})$ 
```



- **unpredictable:** because it's hard to hardcode coordinates of random curve point. . .
  - **note:** you need both sides of the check equation in the confirmation code

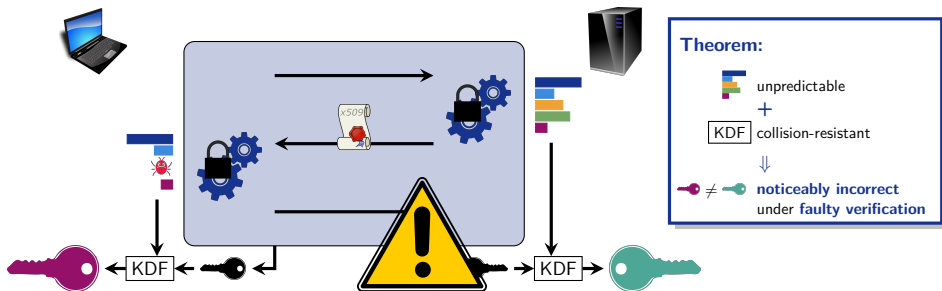
# Making Cryptographic Protocols Fail Noticeably

- ▶ We get: sender + receiver agree on confirmation code  $\Rightarrow$  verification followed necessary steps
- ▶ ... so let's have both check they agree?  $\rightarrow$  yet another verification step...
- ▶ Better: use confirmation codes in overall protocol — here: **secure connection establishment**



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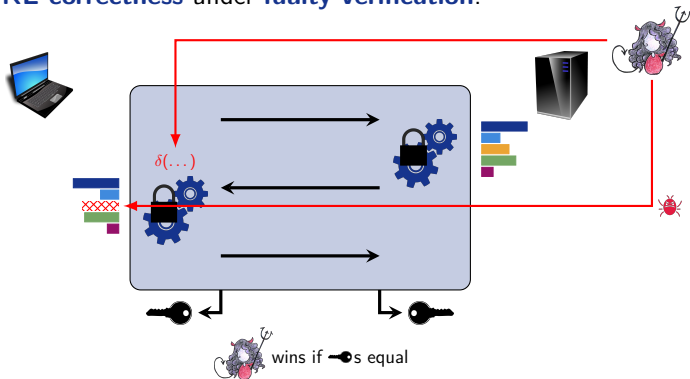




# Making Cryptographic Protocols Fail Noticeably

Noticeable (In)Correctness under Faulty Verification

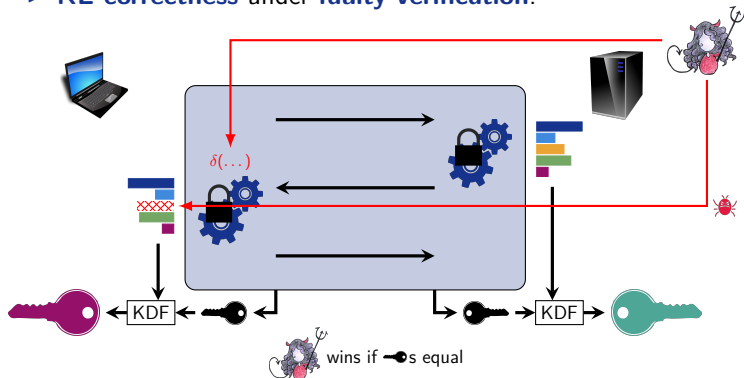
- ▶ **KE correctness**: run protocol between  $A$  and  $B$ , then  $K_A = K_B$
- ▶ **KE correctness** under **faulty verification**:







# Making Cryptographic Protocols Fail Noticeably

Noticeable (In)Correctness under Faulty Verification





- ▶ **KE correctness**: run protocol between  $A$  and  $B$ , then  $K_A = K_B$
- ▶ **KE correctness** under **faulty verification**:



**Theorem** (correctness):

 unpredictable  
+  
 collision-resistant  
 $\Downarrow$   
  $\neq$   **noticeably incorrect**  
under **faulty verification**<sup>\*</sup>  
<sup>\*</sup> for "canonical" KE

**Theorem** (BR security):

 BR-secure  
+  
 PRF-secure  
 $\Downarrow$   
 BR-secure<sup>\*</sup>  
<sup>\*</sup> for publicly computable 

# Discussion

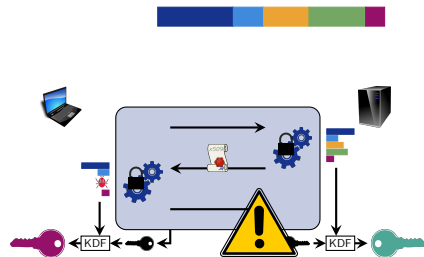
## Further Directions & Deployment

- ▶ Many **more candidates** for verifiable verification
  - ▶ **primitives**: authenticated encryption, FO-based KEMs, verifiable secret sharing, ...
  - ▶ **protocols**: code signing, secure messaging, entity authentication, ...
- ▶ ... and the idea of **tying security to basic functionality** is not restricted to verification
- ▶ **Deployment** of confirmation codes requires system-level efforts (beyond the scope of this work)
  - ▶ **API**: might surface confirmation codes optionally, for backwards compatibility
  - ▶ **Live vs static**: confirmation codes for online signatures are produced live – how best integrate confirmation codes of static signatures (e.g., in certificates)
  - ▶ **Transient**: should one be able to (de)activate the usage of confirmation codes? (think: GREASE)

# Summary

We

- ▶ introduce **confirmation codes** for verification to **tie security to basic functionality**
- ▶ present intuitive (and provably secure) confirmation codes for **RSA-PSS, HMAC, curve point validation**
- ▶ exemplify their usage in key exchange protocols to make **secure connections fail noticeably**
- ▶ think the basic idea is **applicable more broadly**, in primitives, protocols, and beyond verification



**Thank You!**  
mail@felixguenther.info

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